

THE PARTICLES INHOMOGENEITY DEPENDENCE OF SWITCHING FIELD
DISTRIBUTION FOR A REAL ASSEMBLY OF PARTICLES.

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A new technique to determine the switching field H_{sw} distribution (SFD) in a heterogeneous magnetic sample consisting of uniaxial particles has been developed. This technique involves saturating the sample with the magnetic field H_s applied parallel to the preferred orientation R of particles. Then the field is removed, and the specimen is rotated by a small angle $\Delta\theta = \theta_1$. The field is then cycled from zero to H_{1i} and back to zero, increasing H_{1i} for consecutive cycles until $H_{1i} \gg H_s$. Up to here, the procedure in our method is the same as in [1]. Then our technique involves measurements of angles δ_{1i} of the remanence vector-moment M_r orientations with respect to R_1 , where R_1 is the new R direction after the sample rotation. After $H_{1i} = H_s$ the specimen is rotated by an additional angle $\Delta\theta$ so that $\theta_2 = 2 \cdot \Delta\theta$. Repeating all measurements until the $H_{2i} = H_s$ gives the new sets $\{H_{2i}\}$ and $\{\delta_{2i}\}$. Measurements of all this quantities for n directions until $\theta_n = n \cdot \Delta\theta = 90^\circ$ we arrive at the sets of data in the following form: $\theta_j, \{H_{ji}\}$ and, respectively, $\{\delta_{ji}\}$, where $1 \leq j \leq n$, $H_1 \leq H_{j1} \leq H_s$, δ_{ji} - the angle between M_r and R_j after the application and removal of the field H_{ji} . All angles δ_{ji} have been determined with a vibrating-sample anisometer. These results can be used for a quantitative study of SFD and an orientational distribution of the easy axes. Preliminary calculations are based upon the Stoner-Wolfarth theory. For each $j, i, 1$ have been

calculated the relative volume $P_j(H)_{i1} \cdot (H_1 - H_{1i})$ of the particles with H_k in the interval $[H_{1i}, H_k]$ to the $\Delta\theta$ -partial volume of the particles, oriented in interval $[90^\circ - \theta_j, 90^\circ - \theta_{j-1}]$. Summing over all i gives the orientational distribution $P(\theta_j) = \sum_{i=1}^{s-1} P_{1,i+1}(H_{1,i+1} - H_1) \cdot \left\{ \sum_{j=1}^n P(\theta_j) \Delta\theta \right\}^{-1}$. Here $P(\theta_j)$ is the ratio of $\Delta\theta$ -partial volume with reference to the total volume of the specimen.

In another way, summing $P_j(H)_{j1}$ over all $\theta, i, 1$ and taking into account the angular dependence of the H_{sw} for each particle gives the expression for the sum $S(H)$. Here $S(H)$ is the analog for $P_1(H)$ where $\theta_1 = 90^\circ$ and corresponds to the coherent rotation model. Finally, measuring of all quantities $\{H_{1i}\}, \{\delta_{1i}\}$ for $\theta_1 = 90^\circ$ in the case of real assembly gives the expression for $Q(H)$. $S(H)$ is equal to $Q(H)$ for each H if only the sample is formed by single-domain particles. In any other cases the difference in the S and Q is a measure of the proportion of material for which incoherent reversals play an important role.

Reference.

1. Flanders P.J., Shtrikman S., J. Appl. Phys., 33, (1962), 216.